

January 23, 2007

Dear SCEC Spontaneous Rupture Modeler,

We are tackling The Problem, Versions 6 and 7 for our upcoming spontaneous rupture code-validation (modelers) workshop. This workshop will be held on **Monday February 12, 2007 in the SCEC rooms at USC**. We're planning a 10:00 a.m. start time and anticipate being done by 5:00 p.m.

The specific goal for this meeting is to see if we can get a (comparative) handle on the The Problem, Versions 6 and 7, the vertical strike-slip fault bimaterial benchmarks.

For this workshop if your code has been modified significantly since our last exercise, please feel free to mention this at our meeting. We also have scheduled presentations from authors of 3 codes that we've not heard much about before, and, a general introduction to the bimaterial problem theory and methods.

The next pages have the description of The Problem, Versions 6 and 7.

TPV6 and TPV7 all use the same nucleation process as TPV3, and incorporate a free surface, intended to represent the earth's free surface.

We are using 100 m element size or node-spacing for all of these benchmarks.

For TPV6 and TPV7 we are starting a new system whereby modelers submit their results via Michael Barall's SCEC IT website. Information is arriving separately about how to send material to the website.

If you see any errors or omissions in any of the files of website directions or directions on these instructions here, please notify me and Michael Barall by email ASAP and we will work to change them, or, explain things better. This is our first run with the new submission system, and as you know I can always have typos in my directions, so all eagle-eye edits are welcome.

*The deadline for submitting results to the website is **February 5, 2007**.*

*Thanks!*

*Ruth*

P.S. I need to give special thanks to code-validation volunteer Eric Dunham who put much thoughtful time and effort into how we should best do these bimaterial benchmarks. So if you see something on the upcoming pages that makes sense, please thank Eric and his group of collaborators.

Michael Barall is also greatly enhancing our code validation capabilities, with our new website. It will save me a huge amount of time and effort (and likely you too), so I also give my thanks to Michael.

**Part I. Some definitions:**

Displacement = motion relative to its initial position. Since all of the calculations start with this position at zero, Displacement = Absolute motion.

Velocity = Absolute motion with respect to time.

Slip = Relative motion across the fault plane (e.g., for split nodes).

Slip-Rate = Relative motion across the fault plane (e.g., for split nodes), with respect to time.

Rupture Front = Location of the leading edge of the rupture. Here we define this region as where (and when) slip-rate first changes from zero to greater than 1 mm/s.

*Please note that for TPV6 and TPV7 since we are looking at stations on each side of the fault, at each side of the split nodes, we will be considering displacement and velocity, rather than slip and slip-rate at the stations.*

*For the TPV6 and TPV7 contour plots, we will however be looking at slip-rate.*

**Part IIa. MODEL DESCRIPTION - THE PROBLEM, VERSION 6 (Jan. 12, 2007)**

Please note that this is **THE 3D** model that we are investigating for **TPV6**. Although variations are of course interesting, our goal is to follow the description precisely. If the code you're using will not run with Version 6's parameters, please contact Ruth ASAP. *Please feel free to point out to me as soon as possible, if I have omitted some critical details that you and others may need to run the simulations, or if there are any mistakes in the descriptions/requests.*

Note: All units are in MKS.

**TPV6** is intended to reside in the "well-posed" regime for bimaterial problems and so uses a very high shear modulus (density\*vs\*vs) contrast.  
Slip-weakening is the fracture criterion.

- 1) Material properties are homogeneous within each side of the fault, but change when one traverses to the other side of the fault. This is the bimaterial problem.
  - a) On the far side of the fault plane,  $v_p$ ,  $v_s$ , density =  $v_{p1}$ ,  $v_{s1}$ , density<sub>1</sub>  
 $v_{p1} = 6000/1.6 \text{ m/s} = \mathbf{3750 \text{ m/s}}$   
 $v_{s1} = 3464/1.6 \text{ m/s} = \mathbf{2165 \text{ m/s}}$   
 $\text{density}_1 = 2670/1.2 \text{ kg/m}^3 = \mathbf{2225 \text{ kg/m}^3}$
  - b) On the near side of the fault plane,  $v_p$ ,  $v_s$ , density =  $v_{p2}$ ,  $v_{s2}$ , density<sub>2</sub>  
 $v_{p2} = 6000 \text{ m/s}$   
 $v_{s2} = 3464 \text{ m/s}$   
 $\text{density}_2 = 2670 \text{ kg/m}^3$
- 2) The fault within the three-dimensional medium is a vertical right-lateral strike-slip planar fault that reaches the Earth's surface.
- 3) The rupture is allowed within a rectangular area that is 30000 m long x 15000 m deep.
- 4) The bottom boundary of the allowed 30000m x 15000m rupture area is defined by a strength barrier\*.
- 5) The right and left ends of the allowed 30000 m x 15000 m rupture area are defined by a strength barrier\*.
- 6) The nucleation point is centered both along-dip and along-strike of the 30000m x 15000m rupture area, on the fault plane, at 15000m along-strike and 7500m depth.
- 7) Nucleation occurs because the initial shear stress in a 3000 m x 3000 m square nucleation patch is set to be higher than the initial static yield stress in that patch. Failure occurs everywhere on the fault plane, including in the nucleation patch, following a linear slip-weakening fracture criterion. The square patch has a side-

***THE PROBLEM, VERSION 6, continued***

length of 3000m. The square nucleation patch is centered on the nucleation point.  
The initial shear stress in this square area is equal to 81.6 MPa.

Within the entire 3000 m x 3000 m nucleation patch, at zero seconds:

Static coefficient of friction = 0.677

Dynamic coefficient of friction = 0.525

**Initial shear stress in the along-strike-direction (at t = 0) = 81.6 MPa**

Initial shear stress in the along-dip direction (at t = 0) = 0 MPa

Initial normal stress (at t = 0) = 120 MPa

Initial static yield stress (at t = 0) = 0.677 x 120 MPa = 81.24 MPa

Initial dynamic friction stress (at t = 0) = 0.525 x 120 MPa = 63.00 MPa

Initial stress drop (at t = 0) = 81.6 MPa – (0.525 x 120 MPa) = 18.6 MPa

Slip-weakening critical distance = 0.40 m

- 10) Outside of the nucleation patch, friction is governed by the linear slip-weakening fracture criterion, but the initial shear stress is different.

Within the 30000 m x 15000 m faulting area, but outside of the 3000 m x 3000 m nucleation patch:

Static coefficient of friction =  $\mu_s = 0.677$

Dynamic coefficient of friction =  $\mu_d = 0.525$

**Initial shear stress in the along-strike-direction (at t = 0) = 70 MPa**

Initial shear stress in the along-dip-direction (at t = 0) = 0 MPa

Initial normal stress (at t = 0) = 120 MPa

Initial static yield stress (at t = 0) = 0.677 x 120 MPa = 81.24 MPa

Initial dynamic friction stress (at t = 0) = 0.525 x 120 MPa = 63.00 MPa

**Initial stress drop (at t = 0) = 70 MPa – (0.525 x 120 MPa) = 7.00 MPa**

Slip-weakening critical distance =  $d_0 = 0.40$  m

- 11) \*On the fault plane, but outside of the 30000 m x 15000 m faulting area, there is a strength barrier.

This is accomplished by setting the static coefficient of friction to the high value of 10000. so that the rupture is not able to propagate on the fault plane beyond 30000 m x 15000 m:

Static coefficient of friction =  $\mu_s = 10000$ .

Dynamic coefficient of friction =  $\mu_d = 0.525$

Initial shear stress in the along-strike direction (at t = 0) = 70 MPa

Initial shear stress in the along-dip direction (at t = 0) = 0 MPa

Initial normal stress (at t = 0) = 120 MPa

Slip-weakening critical distance =  $d_0 = 0.40$  m

-----***End of TPV6 Description***-----

**Part Iib. MODEL DESCRIPTION - THE PROBLEM, VERSION 7 (Jan. 12, 2007)**

Please note that this is **THE 3D** model that we are investigating for **TPV7**. Although variations are of course interesting, our goal is to follow the description precisely. If the code you're using will not run with Version 7's parameters, please contact Ruth ASAP. *Please feel free to point out to me as soon as possible, if I have omitted some critical details that you and others may need to run the simulations, or if there are any mistakes in the descriptions/requests.*

Note: All units are in MKS.

**TPV7** is intended to reside in the "ill-posed" regime for bimaterial problems and so uses a lower shear modulus (density\*vs\*vs) contrast than the previous benchmark, TPV6. Everything else is the same for TPV7 as it was for TPV6.

Please do not specifically modify your code (or friction) to do TPV7 - use whichever form of your code that you would use for our homogeneous material benchmarks.

Slip-weakening is the fracture criterion.

- 1) Material properties are homogeneous within each side of the fault, but change when one traverses to the other side of the fault. This is the bimaterial problem.
  - a) On the far side of the fault plane,  $v_p$ ,  $v_s$ , density =  $v_{p1}$ ,  $v_{s1}$ , density<sub>1</sub>  
 $v_{p1} = 6000/1.2 \text{ m/s} = \mathbf{5000 \text{ m/s}}$   
 $v_{s1} = 3464/1.2 \text{ m/s} = \mathbf{2887 \text{ m/s}}$   
 $\text{density}_1 = 2670 \text{ kg/m}^3 = \mathbf{2670 \text{ kg/m}^3}$
  - b) On the near side of the fault plane,  $v_p$ ,  $v_s$ , density =  $v_{p2}$ ,  $v_{s2}$ , density<sub>2</sub>  
 $v_{p2} = 6000 \text{ m/s}$   
 $v_{s2} = 3464 \text{ m/s}$   
 $\text{density}_2 = 2670 \text{ kg/m}^3$
- 2) The fault within the three-dimensional medium is a vertical right-lateral strike-slip planar fault that reaches the Earth's surface.
- 3) The rupture is allowed within a rectangular area that is 30000 m long x 15000 m deep.
- 4) The bottom boundary of the allowed 30000m x 15000m rupture area is defined by a strength barrier\*.
- 5) The right and left ends of the allowed 30000 m x 15000 m rupture area are defined by a strength barrier\*.
- 6) The nucleation point is centered both along-dip and along-strike of the 30000m x 15000m rupture area, on the fault plane, at 15000m along-strike and 7500m depth.

***THE PROBLEM, VERSION 7, continued***

- 7) Nucleation occurs because the initial shear stress in a 3000 m x 3000 m square nucleation patch is set to be higher than the initial static yield stress in that patch. Failure occurs everywhere on the fault plane, including in the nucleation patch, following a linear slip-weakening fracture criterion. The square patch has a side-length of 3000m. The square nucleation patch is centered on the nucleation point. The initial shear stress in this square area is equal to 81.6 MPa.

Within the entire 3000 m x 3000 m nucleation patch, at zero seconds:

Static coefficient of friction = 0.677

Dynamic coefficient of friction = 0.525

**Initial shear stress in the along-strike-direction (at t = 0) = 81.6 MPa**

Initial shear stress in the along-dip direction (at t = 0) = 0 MPa

Initial normal stress (at t = 0) = 120 Mpa

Initial static yield stress (at t = 0) = 0.677 x 120 MPa = 81.24 MPa

Initial dynamic friction stress (at t = 0) = 0.525 x 120 MPa = 63.00 Mpa

Initial stress drop (at t = 0) = 81.6 MPa – (0.525 x 120 MPa) = 18.6 Mpa

Slip-weakening critical distance = 0.40 m

- 8) Outside of the nucleation patch, friction is governed by the linear slip-weakening fracture criterion, but the initial shear stress is different.

Within the 30000 m x 15000 m faulting area, but outside of the 3000 m x 3000 m nucleation patch:

Static coefficient of friction =  $\mu_s = 0.677$

Dynamic coefficient of friction =  $\mu_d = 0.525$

**Initial shear stress in the along-strike-direction (at t = 0) = 70 MPa**

Initial shear stress in the along-dip-direction (at t = 0) = 0 MPa

Initial normal stress (at t = 0) = 120 MPa

Initial static yield stress (at t = 0) = 0.677 x 120 MPa = 81.24 MPa

Initial dynamic friction stress (at t = 0) = 0.525 x 120 MPa = 63.00 MPa

**Initial stress drop (at t = 0) = 70 MPa – (0.525 x 120 MPa) = 7.00 MPa**

Slip-weakening critical distance =  $d_0 = 0.40$  m

- 9) \*On the fault plane, but outside of the 30000 m x 15000 m faulting area, there is a strength barrier.

This is accomplished by setting the static coefficient of friction to the high value of 10000. so that the rupture is not able to propagate on the fault plane beyond 30000 m x 15000 m:

Static coefficient of friction =  $\mu_s = 10000$ .

Dynamic coefficient of friction =  $\mu_d = 0.525$

Initial shear stress in the along-strike direction (at t = 0) = 70 MPa

Initial shear stress in the along-dip direction (at t = 0) = 0 MPa

Initial normal stress (at  $t = 0$ ) = 120 MPa  
Slip-weakening critical distance =  $d_0 = 0.40$  m

-----**End of TPV7 Description**-----

**Part III. RESULTS TO PROVIDE BEFORE THE WORKSHOP**

(Please send results to our SCEC website on or before February 5, 2007)

Note 1.

Results submission instructions are documented in separate files sent to you by Michael Barall.

Note 2.

The requested output files are (see Michael's instructions for the fomats):

- 1) Time-series files, in ascii format
- 2) Rupture time contours  
(for TPV6, TPV7 you won't email a pre-plotted file as we did in our previous benchmarks. Instead this time you'll be providing the website with the actual coordinates of the contours)

Note 3.

Please see the accompanying file *faultstationsTPV67.pdf* showing the locations of the stations, and the 3D bimaterial model.

There are 10 stations that are all along the fault, on each split node side, so that they occur at 5 different locations if one were looking at the fault plane in side view  
6 (3) of the stations are at the earth's surface, and 4 (2) of the stations are at hypocentral depth.

Note 4.

The sign convention for the coordinate system and for the split-nodes are shown in the accompanying file *Signconvention3d.pdf*

Note 5.

Computations should be run using the following element-size/node-spacing  
**100m**

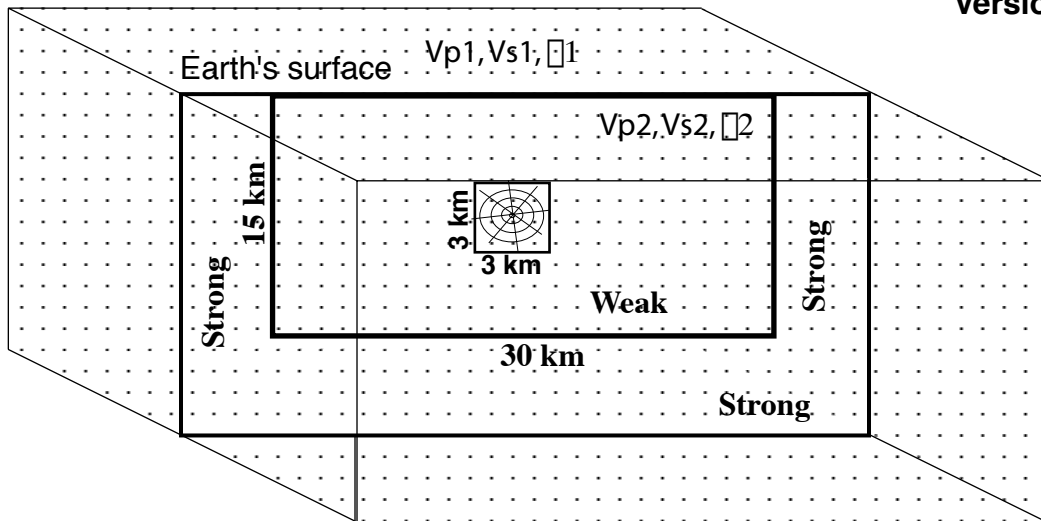
Note 6.

Time series are to be run for 12 seconds



Overall view:

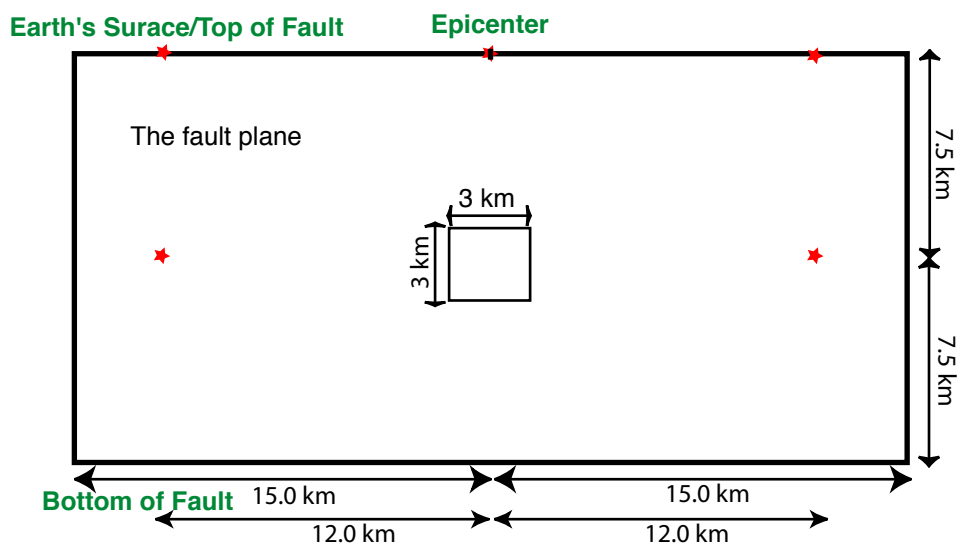
The Problem,  
Versions 6, 7



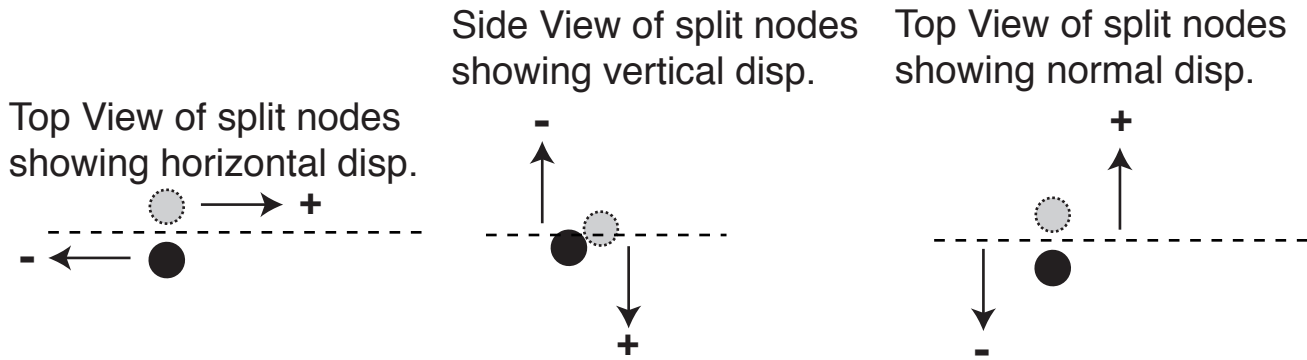
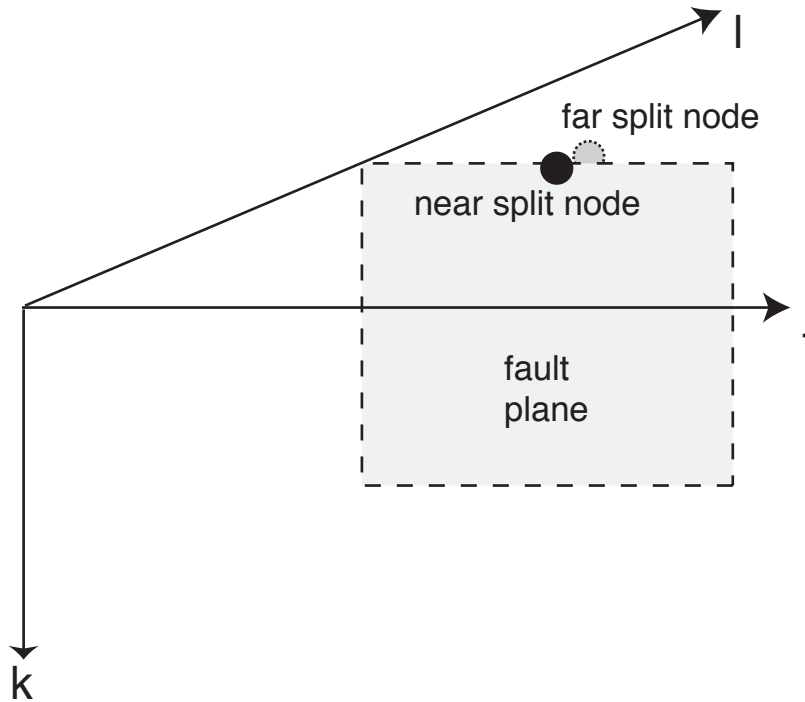
Vertical strike-slip fault is the boundary between two materials.  
 On the far side of the fault,  $V_p, V_s, \text{density} = V_{p1}, V_{s1}, \rho_1$   
 On the near side of the fault,  $V_p, V_s, \text{density} = V_{p2}, V_{s2}, \rho_2$

The fault plane (in a different scale from above), with stations immediately on the fault (**one station for each side of the split node**) are indicated by stars. Note that both sides of each split node are shown by one star, so that each star actually indicates two stations.

6 Stations on the Earth's surface (depth=0 km) are at 0 and +/-12.0 km along-strike distance from the epicenter.  
 4 Deeper Stations are at +/-12.0 km along-strike distance from the hypocenter.



Sign conventions  
Jan. 23, 2007



horizontal displacement of split node on far side of fault =  $u(j,k,l^+)$   
 horizontal displacement of split node on near side of fault =  $u(j,k,l^-)$   
 horizontal slip =  $u(j,k,l^+) - u(j,k,l^-)$  ( $>0$  for right-lateral strike-slip)

vertical displacement of split node on far side of fault =  $v(j,k,l^+)$   
 vertical displacement of split node on near side of fault =  $v(j,k,l^-)$   
 vertical slip =  $v(j,k,l^+) - v(j,k,l^-)$  ( $>0$  for downward slip)

normal displacement of split node on far side of fault =  $w(j,k,l^+)$   
 normal displacement of split node on near side of fault =  $w(j,k,l^-)$   
 normal slip =  $w(j,k,l^+) - w(j,k,l^-)$  ( $>0$  for extension)